


Unit 5: Gases and Gas Laws

BOULEVARD VOLTAIRE PLACES AMBROISE
8. RUE FOLIE-MERICOURT 8

ARENES DU SPORT AERONAUTIQUE

Sous la Direction
de M^r
EUGENE GODARD AINE



LES BRILLANTES.
LES BRILLANTES.

DIMANCHES & FETES

COURSES AERIENNES ASCENSIONS LIBRES ET CAPTIVES EXPERIENCES SCIENTIFIQUES.
NOUVEAUX SYSTEMES DE NAVIGATION AERIENNE PLUS LOUDRS ET PLUS LEGRS QUE L'AIR BALLONS MILITAIRES.
AEROSTATS A AIR CHAUD SURCHAUFFE ET A DETENTE VARIABLE POUR LE BOMBARDEMENT DES PLACES FORTES.
VELOCES AERIENS POSTE AERIENNE PAR PIGEONS VOYAGEURS TELEGRAPHIE AEROSTATIQUE ET MILITAIRE.

Messieurs les Aeronautes qui voudraient prendre connaissance du reglement et des prix du concours ainsi que les personnes qui desireraient faire partie des voyages aeriens doivent s'adresser a l'Administration 17^{me} AVENUE PARMENTIER 17^{me} tous les jours de 1 a 4 heures.

ENTRÉES PREMIERE ENCEINTE 1^{re} SECONDE ENCEINTE 0.50
ENCEINTE DES MANŒUVRES & PESAGE 2^{me} Grand ENTRÉES

Kinetic Molecular Theory

- ❑ Particles of matter are *ALWAYS* in motion
- ❑ Volume of individual particles is \approx zero.
- ❑ Collisions of particles with container walls cause pressure exerted by gas.
- ❑ Particles exert no forces on each other.
- ❑ Average kinetic energy \propto Kelvin temperature of a gas.

The Meaning of Temperature

$$(\text{KE})_{\text{avg}} = \frac{3}{2} RT$$

- Kelvin temperature is an index of the random motions of gas particles (higher T means greater motion.)

Kinetic Energy of Gas Particles

At the same conditions of temperature, all gases have the same average kinetic energy.

$$KE = \frac{1}{2}mv^2$$

m = mass

v = velocity

Measuring Pressure

The first device for measuring atmospheric pressure was developed by Evangelista Torricelli during the 17th century.

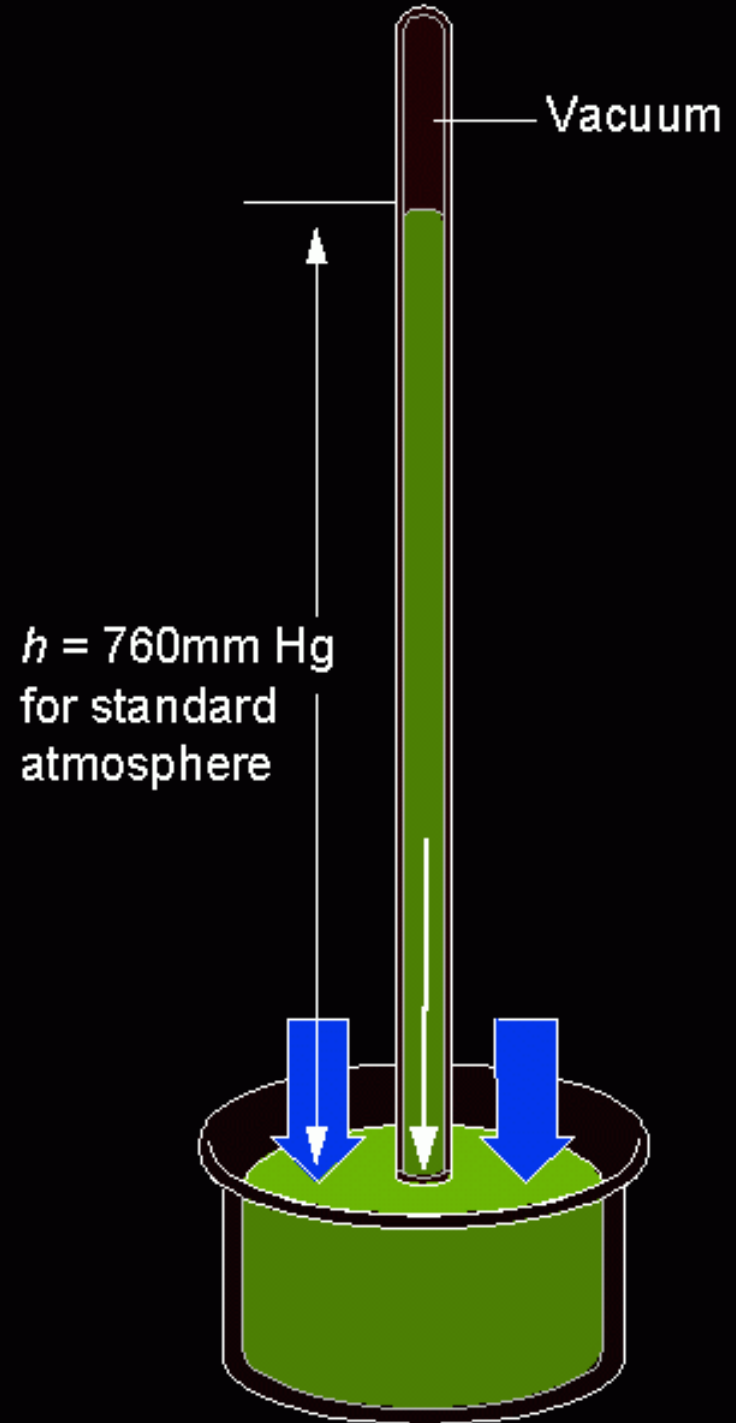
The device was called a "barometer"

- ◆ **Baro** = weight
- ◆ **Meter** = measure

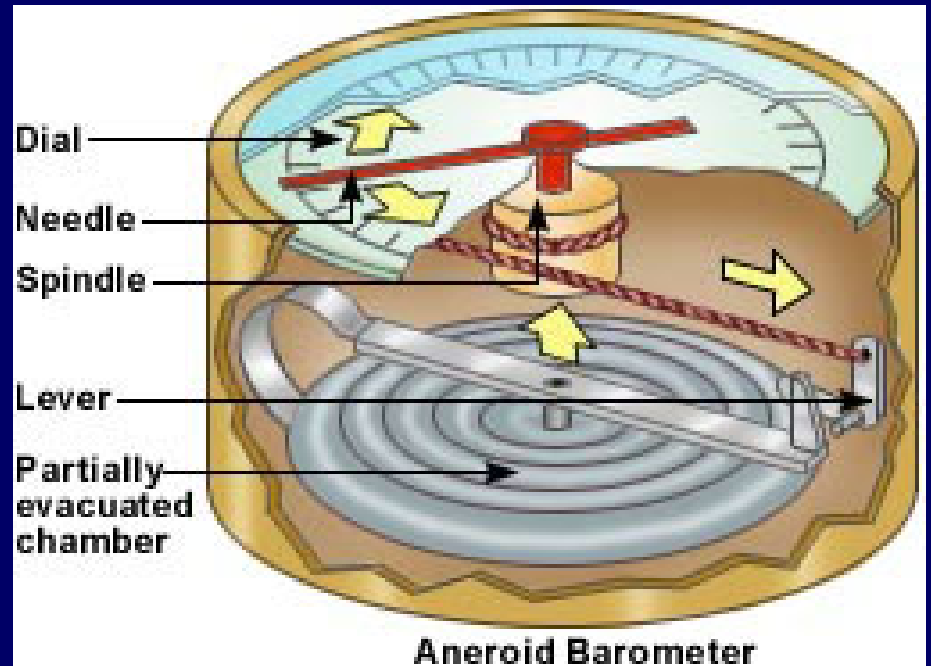


An Early Barometer

The normal pressure due to the atmosphere at sea level can support a column of mercury that is 760 mm high.



The Aneroid Barometer



Pressure

- Is caused by the collisions of molecules with the walls of a container
- is equal to force/unit area
- SI units = Newton/meter² = 1 Pascal (Pa)
- 1 standard atmosphere = 101.3 kPa
- 1 standard atmosphere = 1 atm =
760 mm Hg = 760 torr

Units of Pressure

<i>Unit</i>	<i>Symbol</i>	<i>Definition/Relationship</i>
Pascal	Pa	SI pressure unit $1 \text{ Pa} = 1 \text{ newton/meter}^2$
Millimeter of mercury	mm Hg	Pressure that supports a 1 mm column of mercury in a barometer
Atmosphere	atm	Average atmospheric pressure at sea level and 0°C
Torr	torr	$1 \text{ torr} = 1 \text{ mm Hg}$

The Nature of Gases

- Gases expand to fill their containers
- Gases are fluid - they flow
- Gases have low density
 - 1/1000 the density of the equivalent liquid or solid
- Gases are compressible
- Gases effuse and diffuse

Standard Temperature and Pressure "STP"

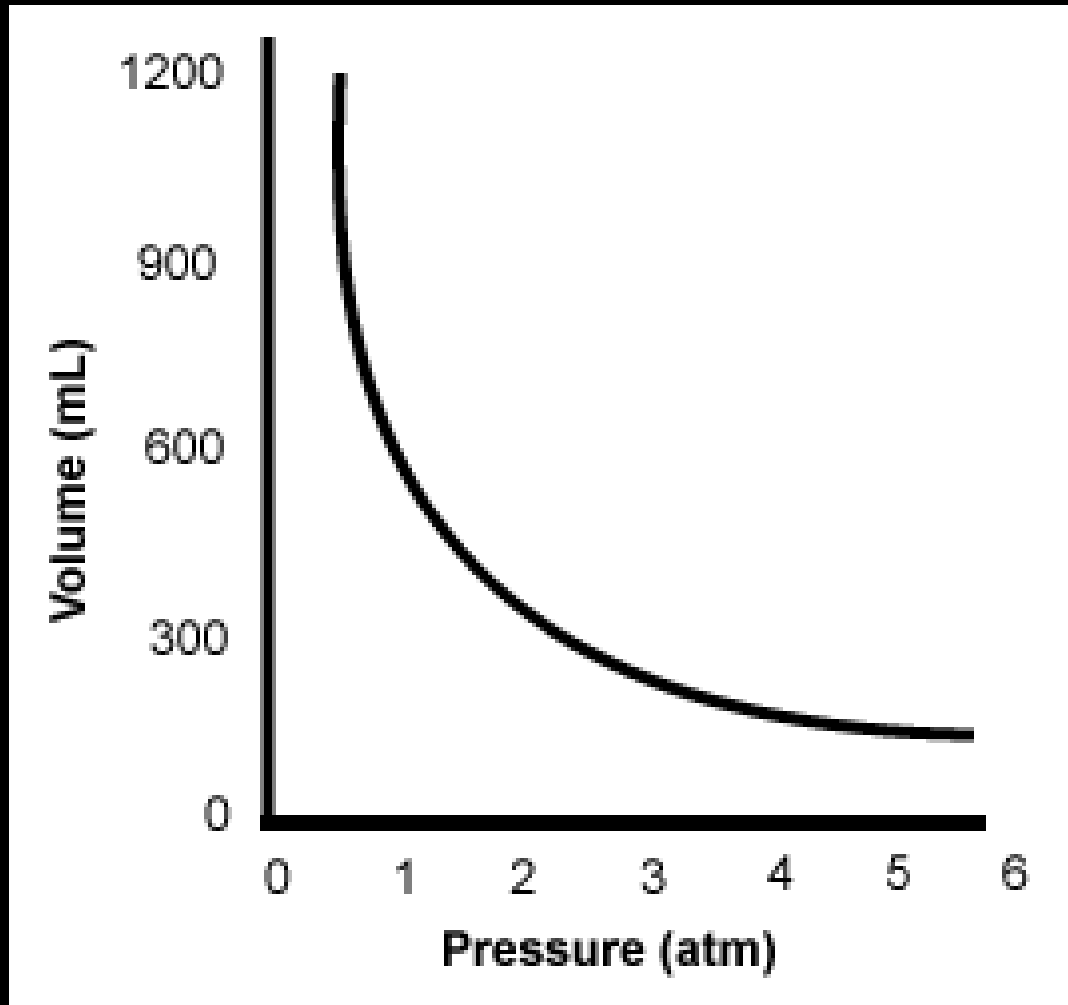
- $P = 1$ atmosphere, 760 torr, 101.3 kPa
- $T = 0^{\circ}\text{C}$, 273 Kelvins
- The molar volume of an ideal gas is 22.42 liters at STP

Boyle's Law

Pressure is inversely proportional to volume when temperature is held constant.

$$P_1V_1 = P_2V_2$$

A Graph of Boyle's Law



Converting Celsius to Kelvin

Gas law problems involving temperature require that the temperature be in KELVINS!

$$\text{Kelvins} = ^\circ\text{C} + 273$$

$$^\circ\text{C} = \text{Kelvins} - 273$$

Charles's Law

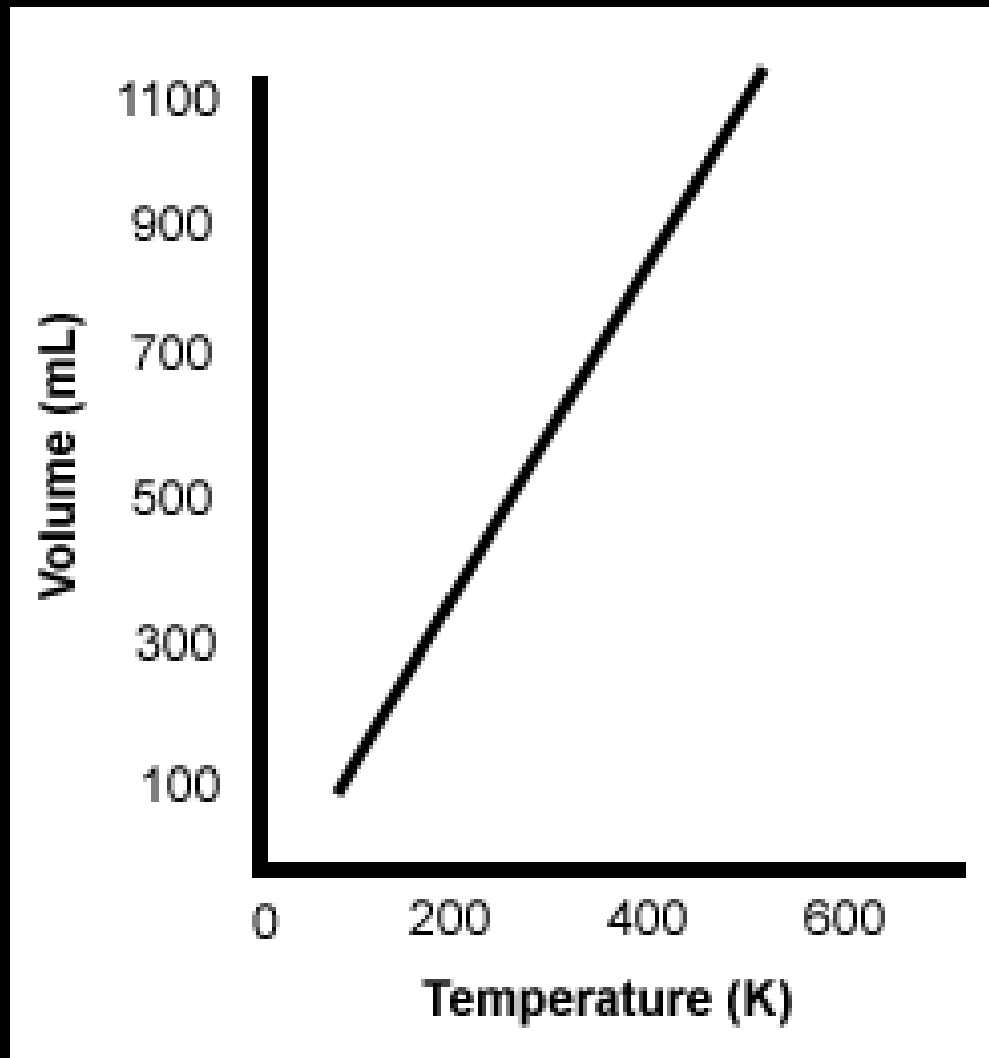
- The volume of a gas is directly proportional to temperature, and extrapolates to zero at zero Kelvin.

$$(P = \text{constant})$$

$$\frac{V_1}{T_1} = \frac{V_2}{T_2} \quad (P = \text{constant})$$

Temperature **MUST** be in KELVINS!

A Graph of Charles' Law



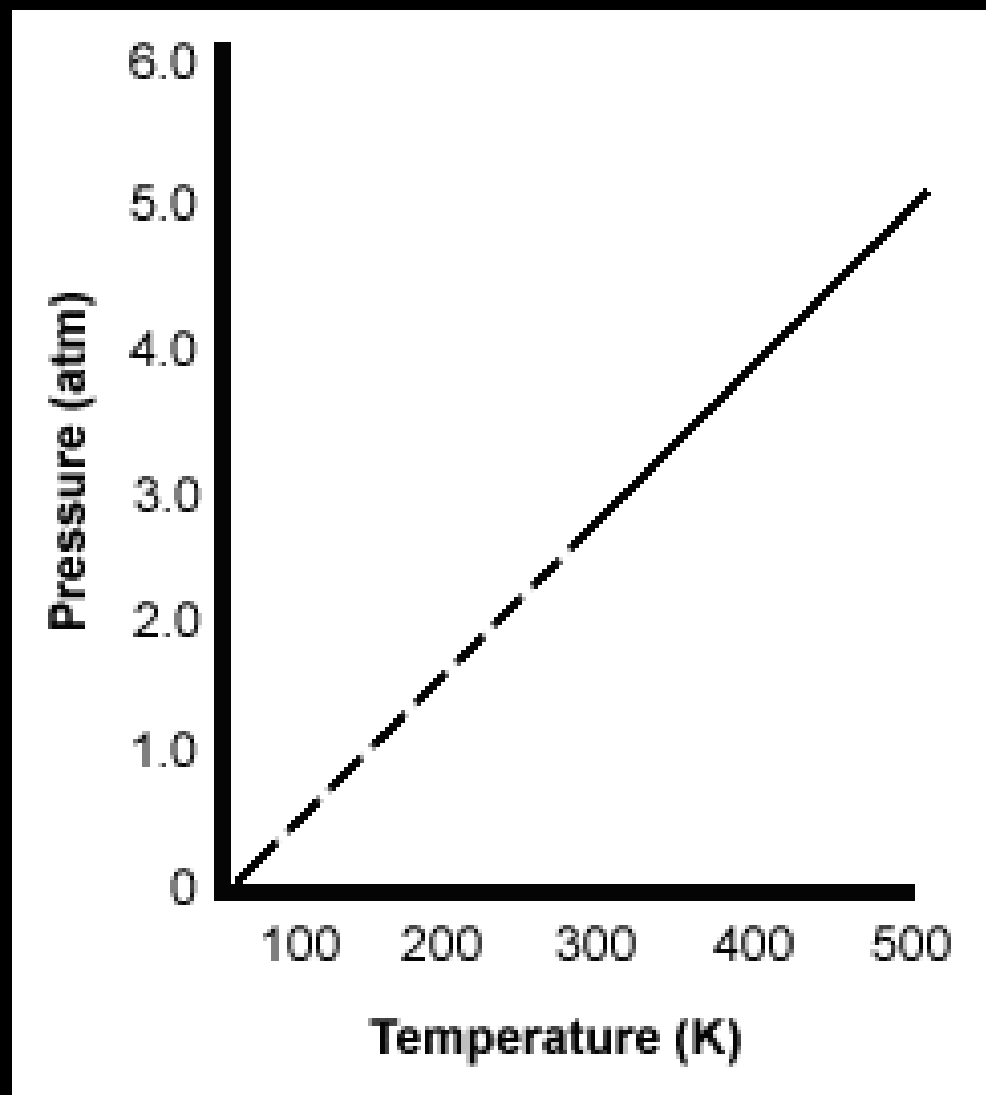
Gay Lussac's Law

The pressure and temperature of a gas are directly related, provided that the volume remains constant.

$$\frac{P_1}{T_1} = \frac{P_2}{T_2}$$

Temperature **MUST** be in KELVINS!

A Graph of Gay-Lussac's Law

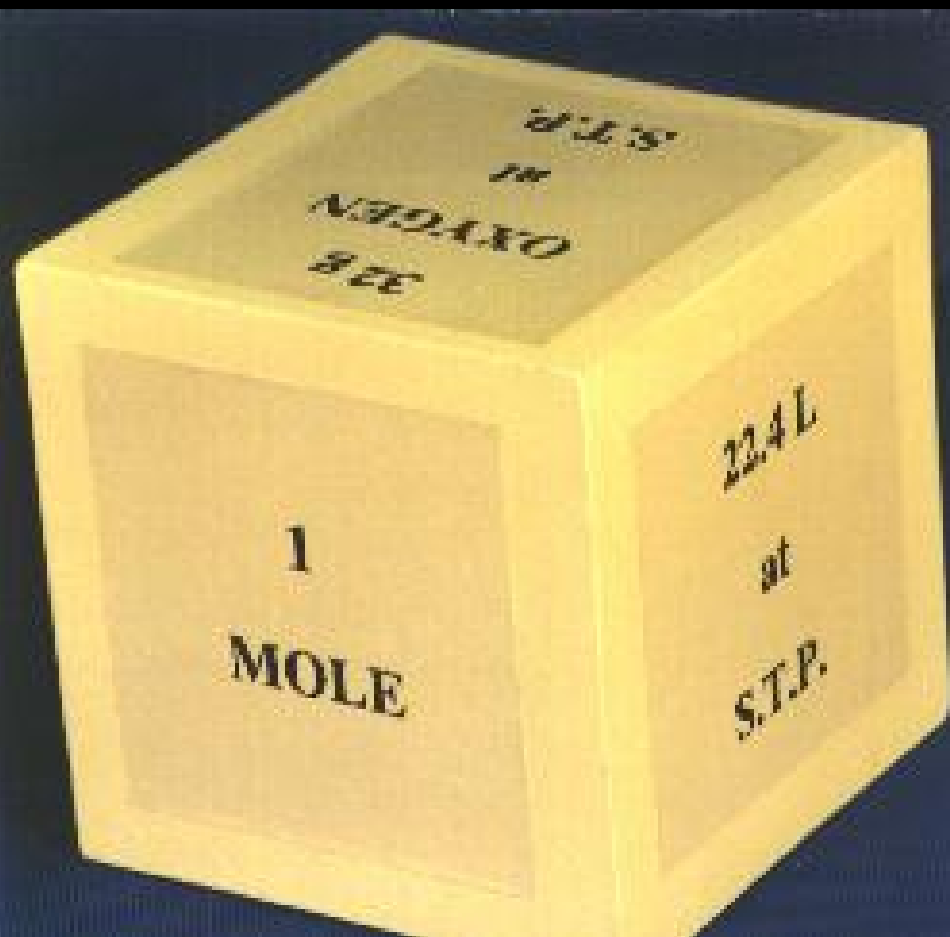


The Combined Gas Law

The combined gas law expresses the relationship between pressure, volume and temperature of a fixed amount of gas.

$$\frac{P_1 V_1}{T_1} = \frac{P_2 V_2}{T_2}$$

Boyle's law, Gay-Lussac's law, and Charles' law are all derived from this by holding a variable constant.



Standard Molar Volume

Equal volumes of all gases at the same temperature and pressure contain the same number of molecules.

- **Amedeo Avogadro**

Ideal Gas Law

$$PV = nRT$$

- P = pressure in atm
- V = volume in liters
- n = moles
- R = proportionality constant
= 0.08206 L atm/ mol·K
- T = temperature in Kelvins

Holds closely at $P < 1$ atm

Gas Density

$$\text{Density} = \frac{\text{mass}}{\text{volume}} = \frac{\text{molar mass}}{\text{molar volume}}$$

... so at STP...

$$\text{Density} = \frac{\text{molar mass}}{22.4 \text{ L}}$$

Density and the Ideal Gas Law

Combining the formula for density with the Ideal Gas law, substituting and rearranging algebraically:

$$D = \frac{MP}{RT}$$

M = Molar Mass

P = Pressure

R = Gas Constant

T = Temperature in Kelvins

Ideal Gases

Ideal gases are imaginary gases that perfectly fit all of the assumptions of the kinetic molecular theory.

- Gases consist of tiny particles that are far apart relative to their size.
- Collisions between gas particles and between particles and the walls of the container are elastic collisions
- No kinetic energy is lost in elastic collisions

Ideal Gases (continued)

- Gas particles are in constant, rapid motion. They therefore possess kinetic energy, the energy of motion
- There are no forces of attraction between gas particles
- The average kinetic energy of gas particles depends on temperature, not on the identity of the particle.

Real Gases Do Not Behave Ideally

Real gases **DO** experience inter-molecular attractions

Real gases **DO** have volume

Real gases **DO NOT** have elastic collisions

Deviations from Ideal Behavior

Likely to behave nearly ideally

Gases at high temperature and low pressure

Small non-polar gas molecules

Likely not to behave ideally

Gases at low temperature and high pressure

Large, polar gas molecules

Dalton's Law of Partial Pressures

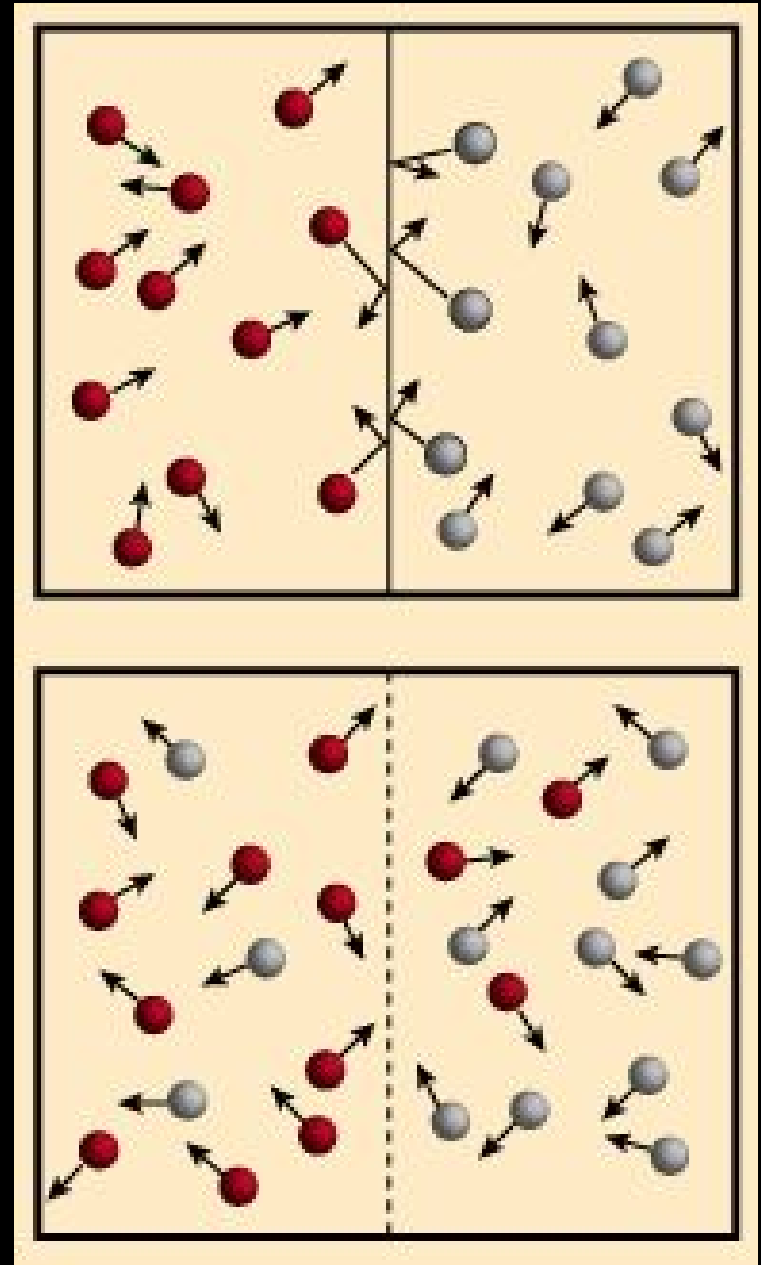
For a mixture of gases in a container,

$$P_{\text{Total}} = P_1 + P_2 + P_3 + \dots$$

This is particularly useful in calculating the pressure of gases collected over water.

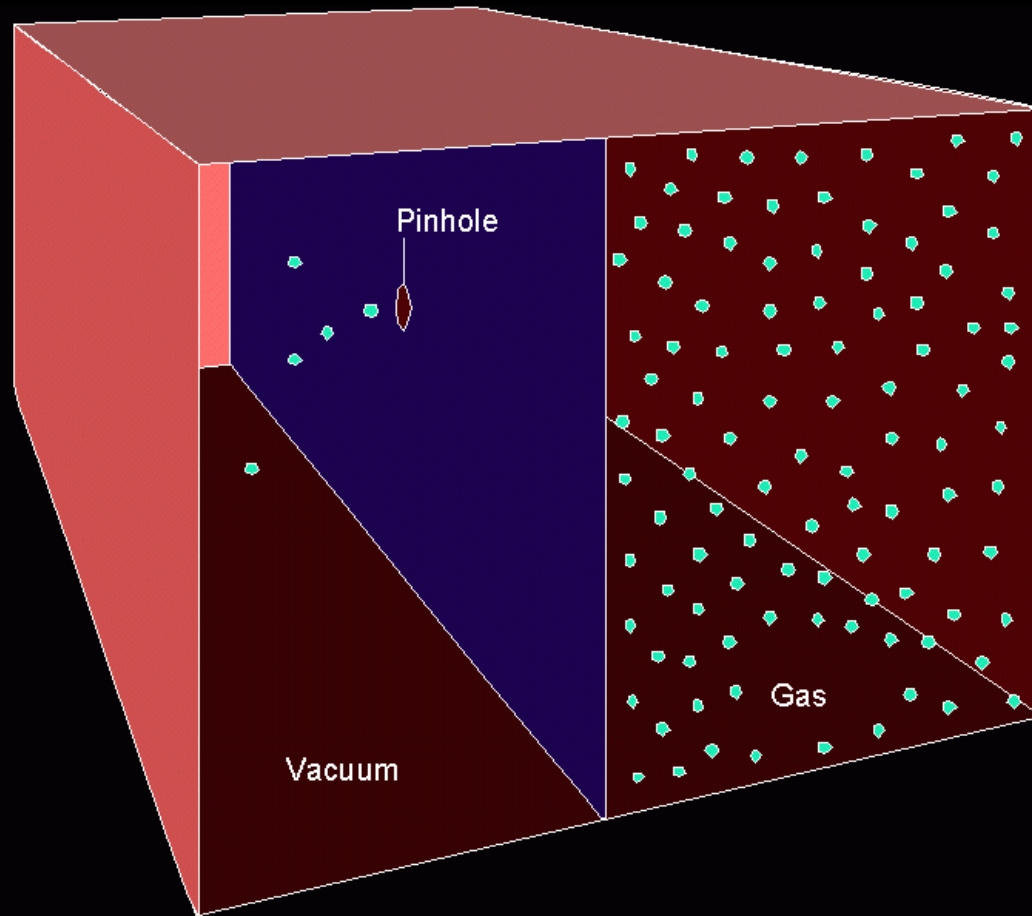
Diffusion

Diffusion: describes the mixing of gases.
The **rate** of diffusion is the rate of gas mixing.



Effusion

Effusion: describes the passage of gas into an **evacuated** chamber.



Graham's Law Rates of Effusion and Diffusion

Effusion:

$$\frac{\text{Rate of effusion for gas 1}}{\text{Rate of effusion for gas 2}} = \frac{\sqrt{M_2}}{\sqrt{M_1}}$$

Diffusion:

$$\frac{\text{Distance traveled by gas 1}}{\text{Distance traveled by gas 2}} = \frac{\sqrt{M_2}}{\sqrt{M_1}}$$